#### Principle of Communication (BEC-28)

#### **Amplitude Modulation**

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# Communication channels

- Medium for the propagation of signals.
- Types:
- ✓ Open Wire Lines: telephone and Telegraph transmission lines, low attenuation (0.4 dB/Km).
- ✓ Paired Cables: Telephone Networks for short distance (Inside building, building to local office), 0.05 dB/Km.
- ✓ Quad cables: Differential pair of conductors for carrying the differential signals, 0.25 dB/Km.
- ✓ Coaxial cables: Single wire conductor at the centre of cylindrical cable separated by dielectric, 5 dB/Km.



#### Communication channels.....

✓ Radio: Wireless propagation (Atmosphere/Free space).
 Electromagnetic signal transmitted by antenna.



### Communication channels.....

 ✓ Waveguide: Hollow conductor of Rectangular/ Circular/ Elliptical/ Single Ridged/ Double Ridged cross section. Offers very high bandwidth (Hundreds of MHz). Attenuation 0.5 dB/Km.



### Communication channels.....

Optical Fiber: Light wave propagation with minimum loss.
 Based on Total internal reflection.
 Attenuation (0.2-0.4 dB/Km)



#### **SIGNAL AND ITS PROPERTIES**

Classification of Signals.
Correlation and Autocorrelation.
Power and cross Correlation.
Fourier Transform.

#### • Real and Complex Signals

• Only Real Components

- Both Real and Imaginary Components
- It convey both amplitude and phase

$$x(t) = Ae^{j\omega t}$$

• Amplitude=A, and phase  $\langle x(t) = \omega t$ 



• Periodic and Aperiodic Signals

- Repetitive in nature
- x(t) = x(t + T); T-Time Period
- x(n) = x(n + N); N-Integer
- Sampled version of analog periodic signal need not be periodic.
- For periodic, T/N should be Rational.

- Not repetitive
- $x(t) \neq x(t+T)$



• 
$$x(t) = x(-t)$$

• 
$$x(t) = Acos(\omega t)$$

• 
$$x(t) = Asin(\omega t)$$

• 
$$x(t) = x_e(t) + x_o(t)$$
  
•  $x_e(t) = \frac{[x(t) + x(-t)]}{2}$   
•  $x_o(t) = \frac{[x(t) - x(-t)]}{2}$ 

- Energy and Power Signals
- Finite Energy
  - Finite nonzero Power

• 
$$E = \int_{-\infty}^{\infty} |x(t)|^2 dt$$
 •  $P = T \to \infty \frac{1}{T} \int_{-T/2}^{T/2} |x(t)|^2 dt$ 

P1: Calculate energy of the signal  $u(t) = 2e^{-3t}$ ,  $t \ge 0$  and u(t) is zero elsewhere.

Solution:  $E = \int_0^\infty 4e^{-6t} dt = 2/3$ 

P2: Calculate power of the signal  $u(t) = 2sin0.5\pi t$ Solution:  $P = \frac{1}{4} \int_{-2}^{2} 4sin^2 (0.5\pi t) dt = 2$   $x(t) = Asin(\omega t)$ Power  $P = \frac{A^2}{2}$ RMS Power  $\sqrt{P} = \frac{A}{\sqrt{2}}$ 

#### • Deterministic and Random Signals:

Specified in any form, mathematical, graphical, etc. Related to random variable and described in probabilistic terms, mean, variance, distribution function, etc.

• Causal and Noncausal Signals:For causal, x(t) = 0 for t < 0

• Singularity Functions: Not Finite or don't have finite derivatives everywhere.

# Thank You